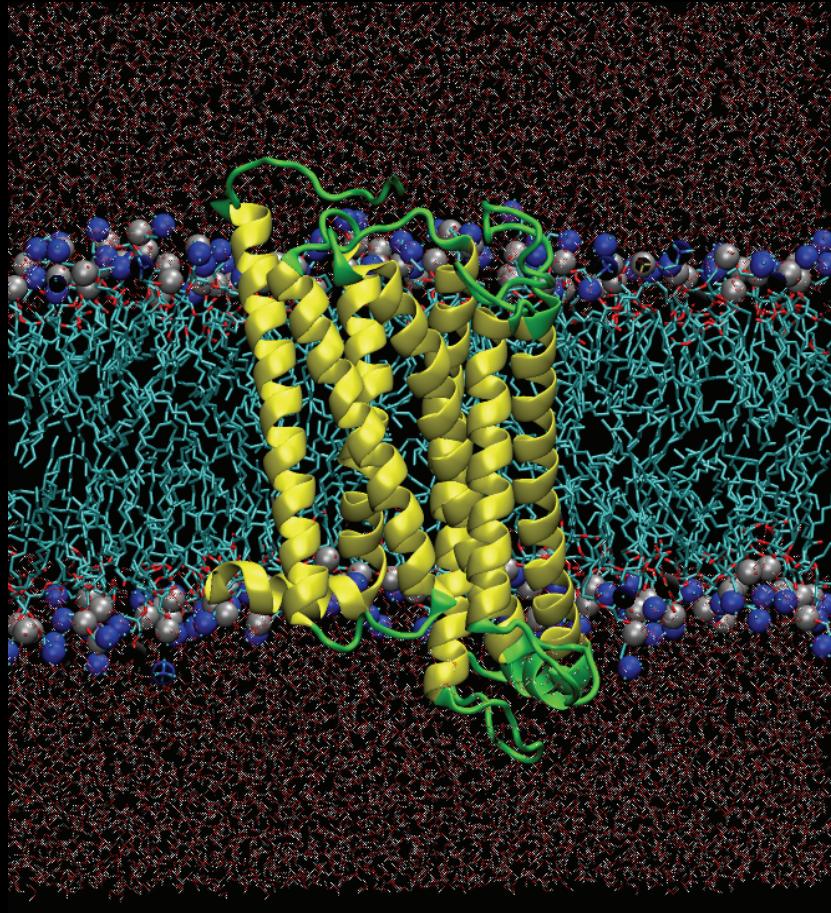


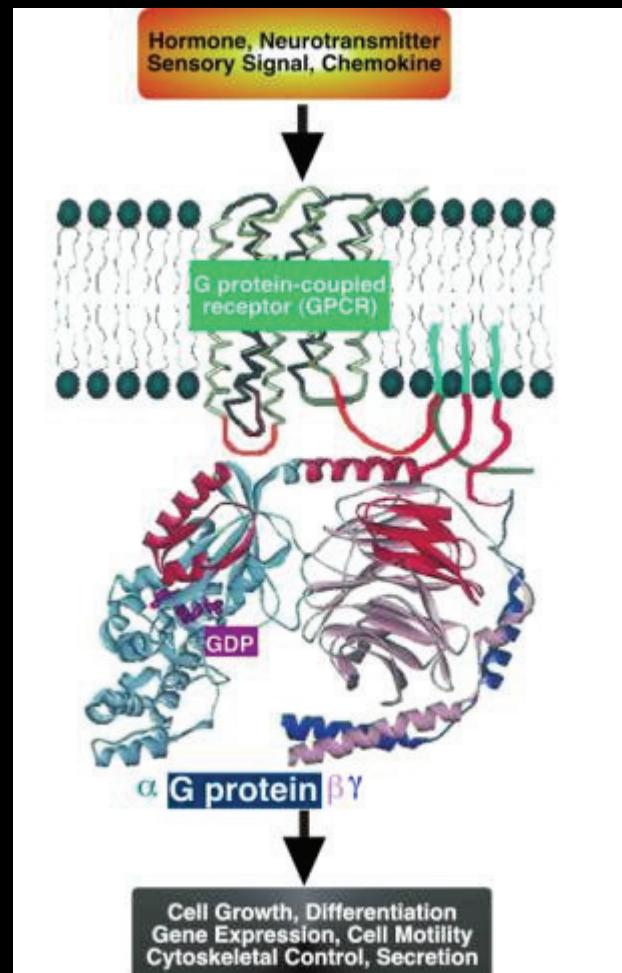
# *Grand Canonical Monte Carlo ... will GPUs help?*



*M. Foster, D. L. Lynch, P.H. Reggio,  
University of N. Carolina, Greensboro*

# GPCR Function

- Conduit for signal transduction
- ~50% of drug design targets GPCRs



# Locate Fragments for Ligand Design

Location of ligands often unknown

Secondary type of ligand: Allosteric Modulator

Binds along with ligand

Effects activation(functional) properties

Dependent on ligand

Pharmacologically attractive.

# Grand Canonical Monte Carlo

Use fragments of particular physico-chemical type

Hydrophobic

Hydrophilic

Aromatic

Produces “hot spots” where binding may occur

Patch full ligand together

Clark et. al. “Grand Canonical Monte Carlo Simulation of Ligand-Protein Binding”. J. Chem. Inf. Model. 2006, 46, 231-242.

# Grand Canonical Monte Carlo

Reference system to the ideal gas and compute the excess chemical potential.

Convenient to define a parameter

$$B = (\mu - \mu_{id})/kT + \ln\langle N \rangle$$

Anneal B

Constant  $\mu$ ,  $V$ ,  $T$  ensemble

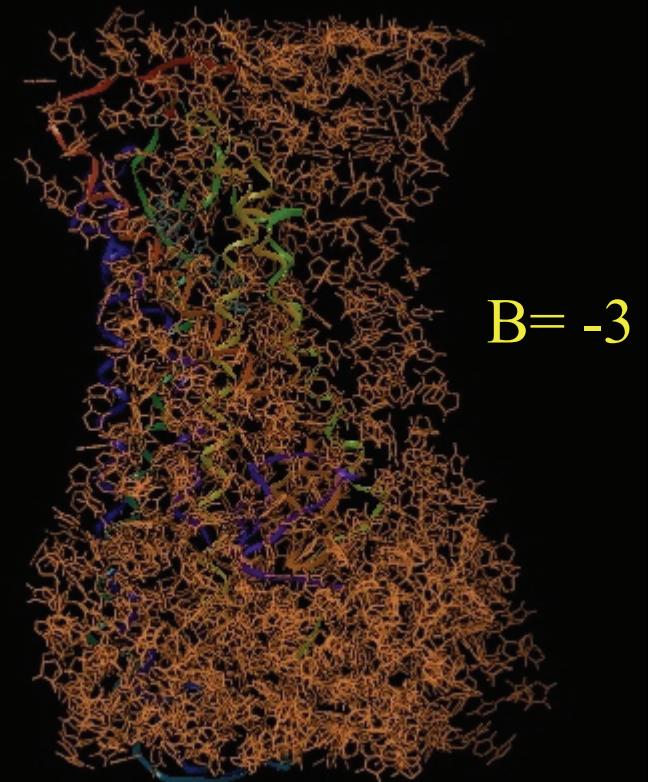
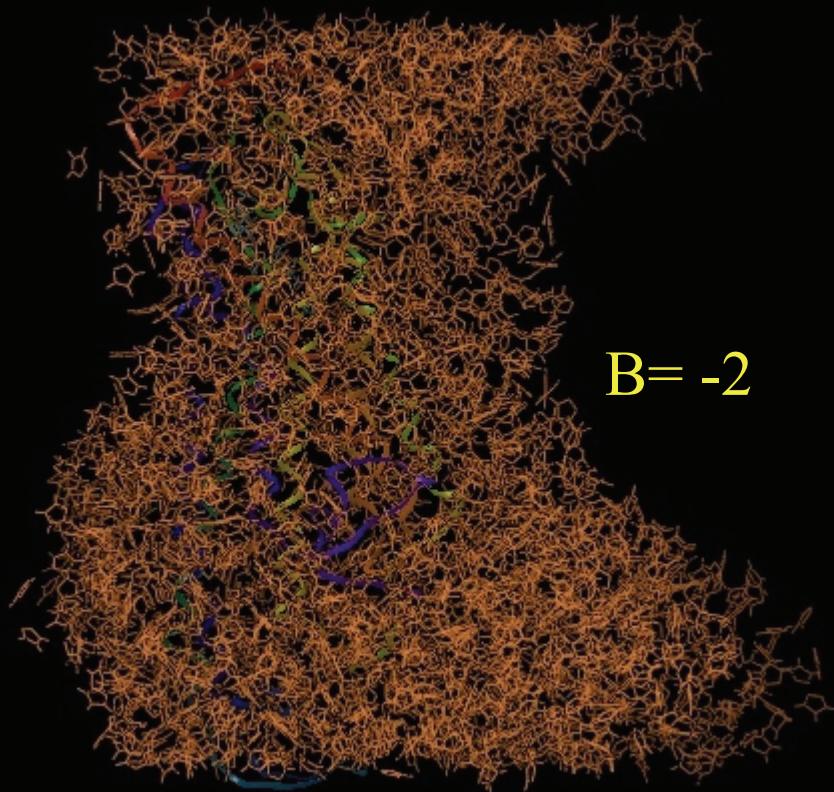
Adams, "Grand Canonical Ensemble Monte Carlo for a Lennard Jones Fluid", J. Mol. Phys. 1975, 29, 307  
Mezei, M. Grand-Canonical Ensemble Monte Carlo Simulation of Dense Fluids:

Lennard-Jones, Soft Spheres and Water.

Mol. Phys. 1987, 61, 565–582.

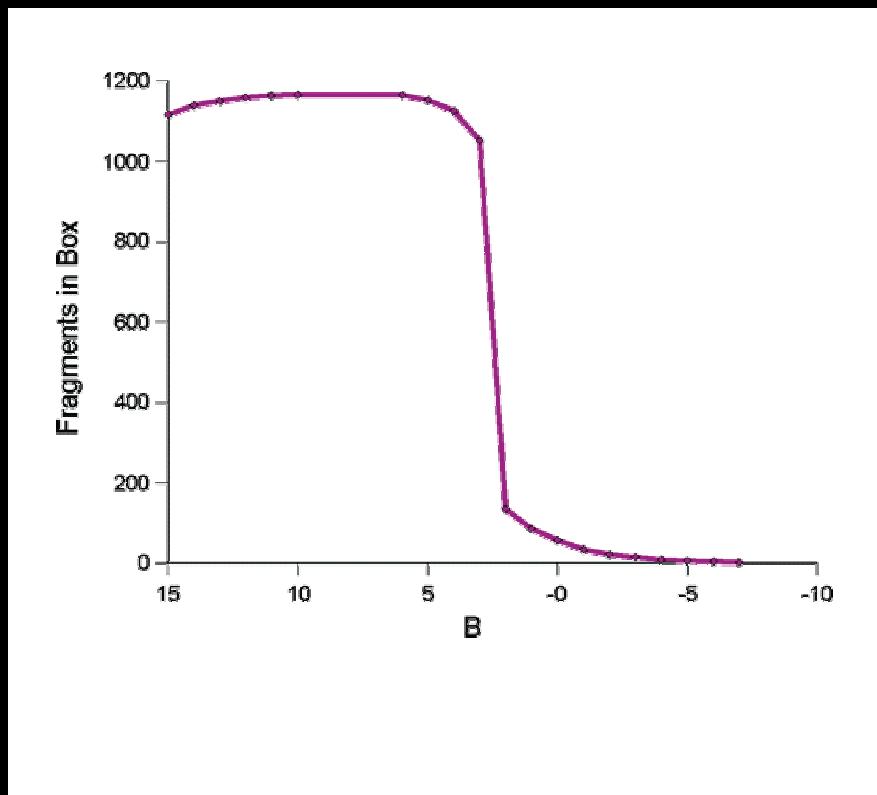
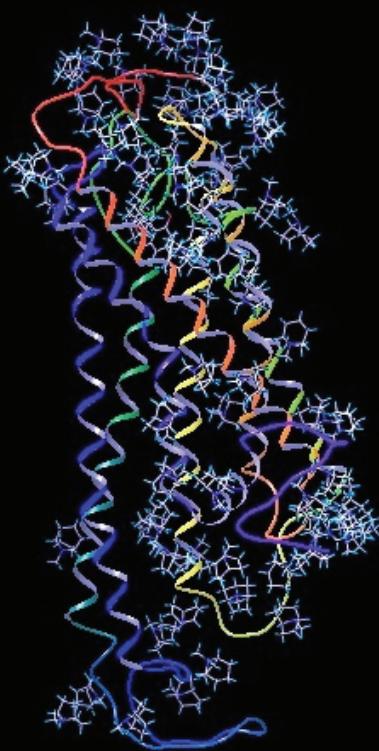
Mezei, M. Monte Carlo Method for the Computer Simulation of Fluids. Mol. Phys. 1980, 40, 901.

# Lower B



Anneal the B value, strips away low affinity fragments

# Lower B



Get regions of low free energy.

# Grand Canonical Monte Carlo

Protein fixed, fragments rigid

Number of molecules varied, attempt insertions and deletions along with translations/rotations

For insertion accept with probability (go from state i to state j)

$$\frac{p_{ij}}{p_{ji}} = \frac{V \exp [ B - (E_j - E_i)/kT]}{N} = \frac{V \exp(B) \exp(-(\Delta E/kT))}{N}$$

Choose  
move/insert/delete

Randomly choose

Accept/Reject with  
probability  $\alpha$  to  $\Delta E$

Ulberg and Gubbins,  
Mol. Sim. 13, 205 1994

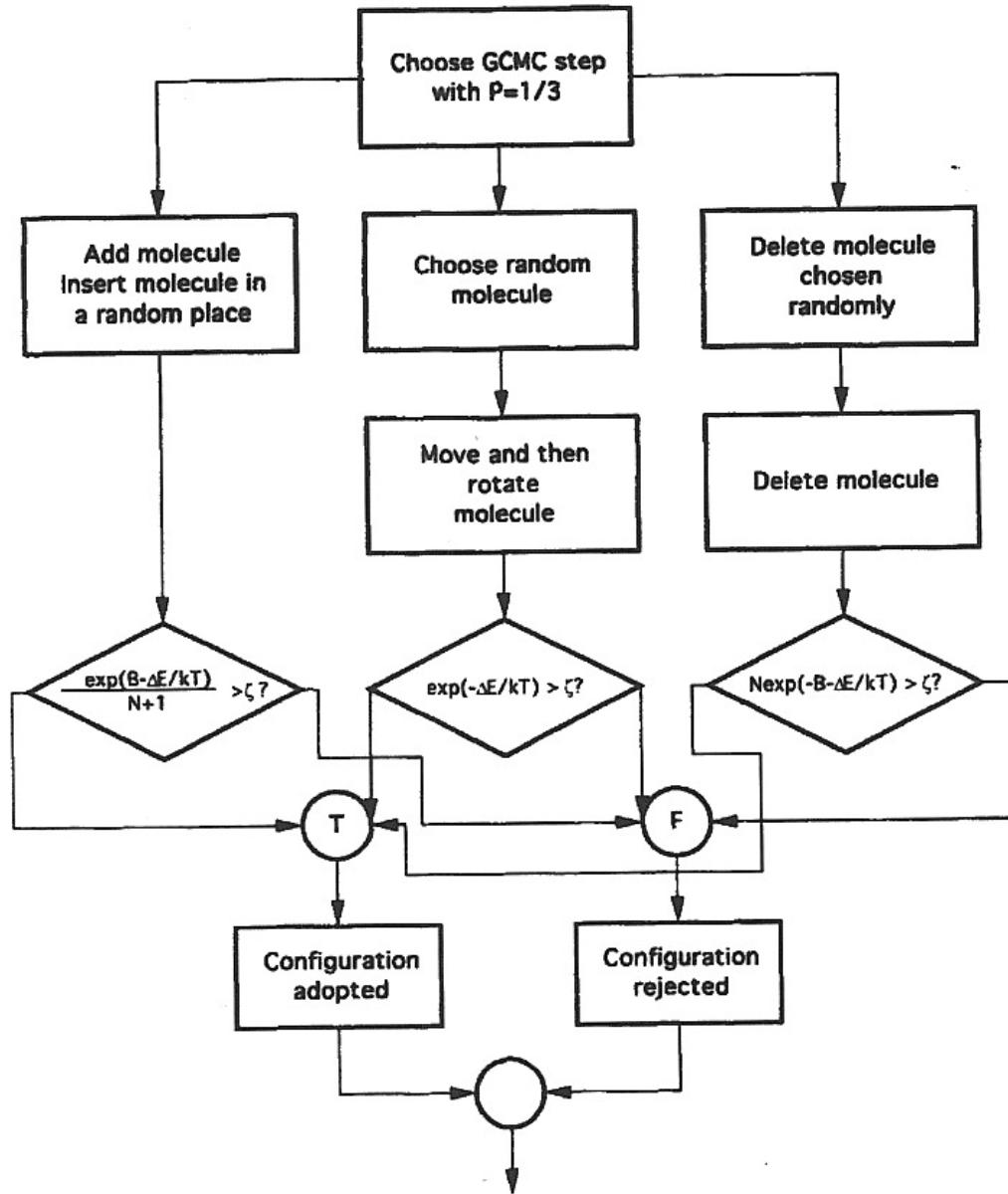


Figure 3 Block scheme of the Grand Canonical Monte Carlo algorithm.

# Grand Canonical Monte Carlo

Currently very slow.

B hard to equilibrate.

Millions of steps per B value.

Get one result for one B value then compute next

GPU's?

Legacy fortran code

# Parallelize?

Time spent in calculating  $\Delta E$

$$V = \sum q_i q_j / r_{ij} + \epsilon [ (\sigma/r_{ij})^{12} - (\sigma/r_{ij})^6 ]$$

Similar to Ion Placement with addition of LJ term.

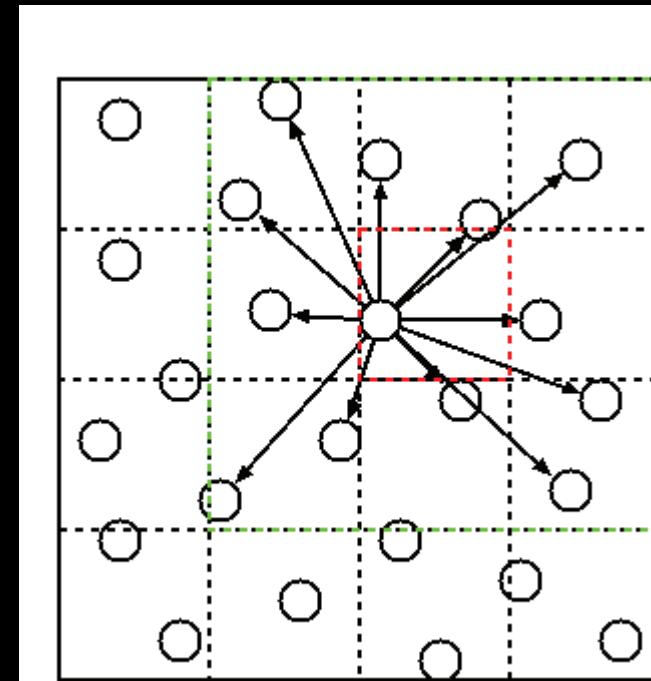
Except....

Moving one molecule at a time.

Large fraction of other molecules aren't moving

Inherently serial

Domain Decomp. know which molecules are close/far.

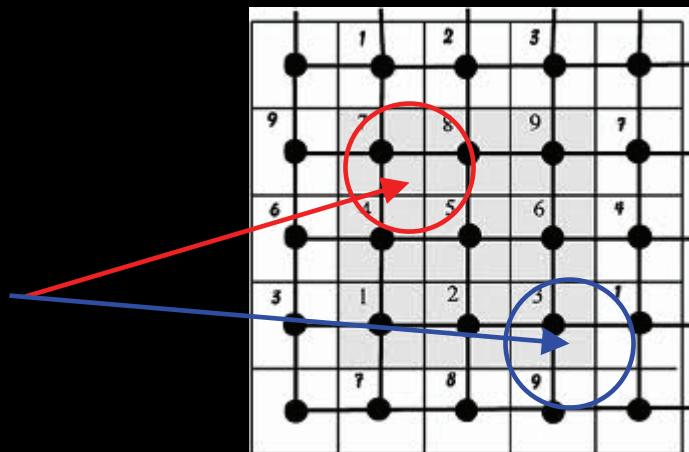


Farm out the “changed” interactions to threads?

## Spacial Decomp?

Since have cutoffs do multiparticle moves

Move particles simultaneously when outside the cutoffs



# Parallelize?

Hybrid Monte Carlo.

Modified markov chain.  
move atoms biased in direction of force.

Molecular Dynamics

## Expectations?

Looking for modest improvements due to  
nature of algorithm.