





# Computer Simulations of DNA Driven Nanoparticle Assemblies

TCBG GPU WORKSHOP

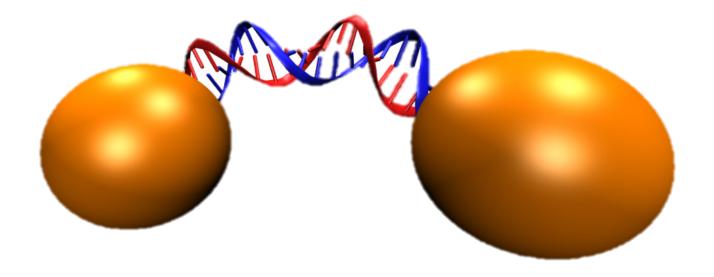
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## 1. GPU Challenges



**CAUTION:** All the pictures and movies have been made using VMD

## GPU Challenges Short term goals

- 1. Migrate ssDNA simple model from C to GPU
- 2. Translate ZENO from Fortran to GPU
- 3. Get computing time on TITAN to test 1 &2

#### Long term goals

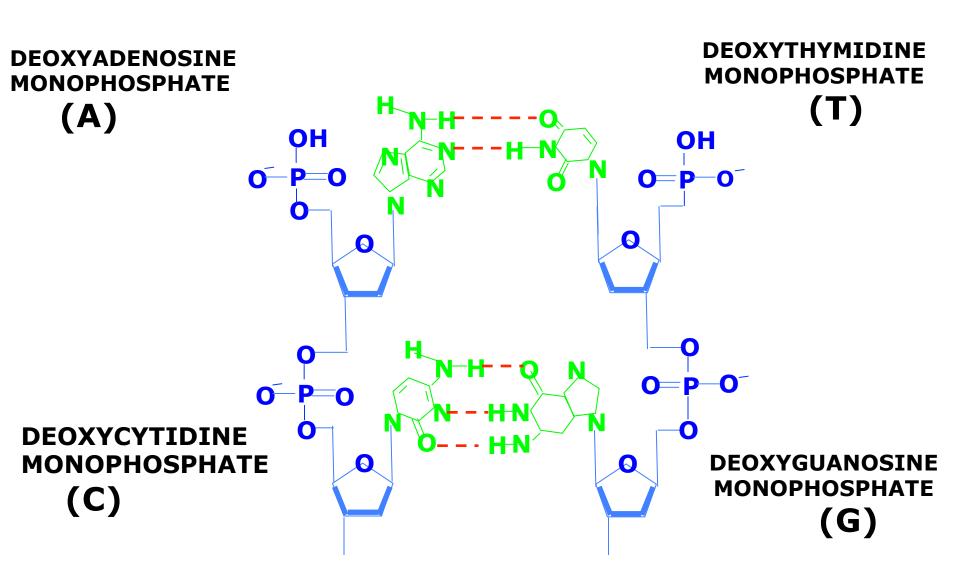
- 1. Run a megaton of DNA-grafted NPs to study the dynamics of crystallization
- 2. Determine elec. & mech. properties of large systems using ZENO.
- 3. Study other MD models using GPU technology





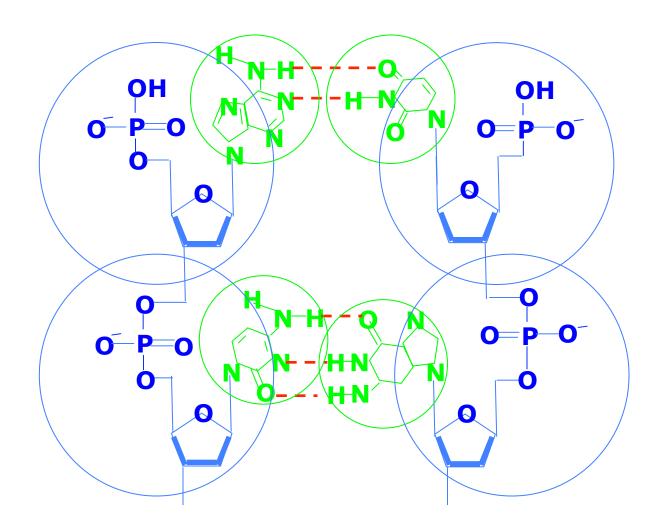
## 2. Description of the Problem

## DNA is a complex molecule!





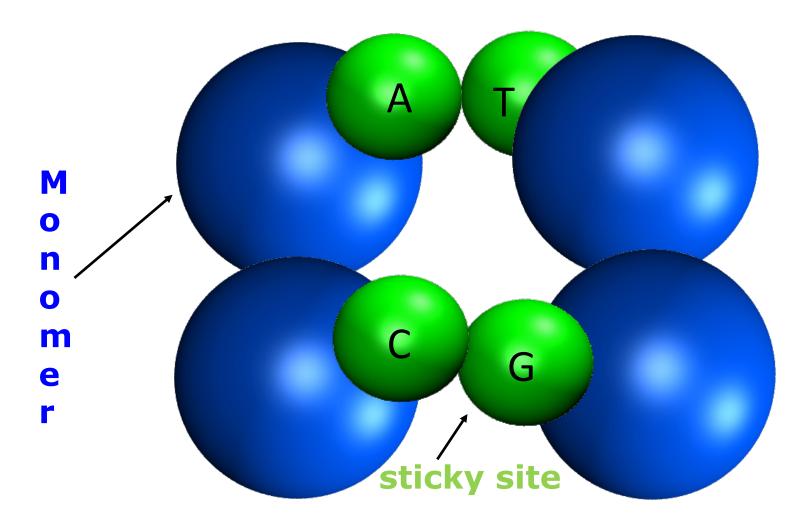
Starr & Sciortino, J. Phys. Condens. Matt. 18, L347 (2006)







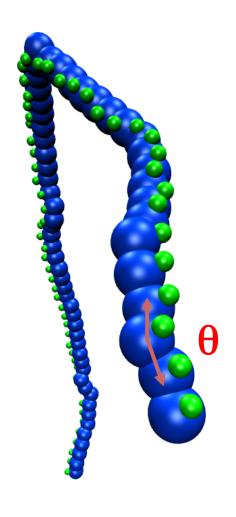
Parameterized to reproduce the **rigidity** and the **natural self-assembly** double-stranded DNA







**Interaction Potentials** 



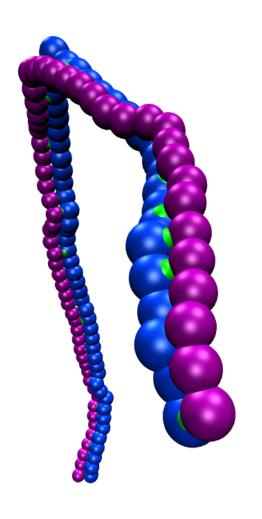
- All Pair sites via truncating and shifting LJ
- Neighboring monomers via <u>FENE</u>
- To model the characteristic rigidity:

$$V_L = k_{linear}[1 + \cos(\theta)]$$

 Small spheres carry A,C,G,T identities



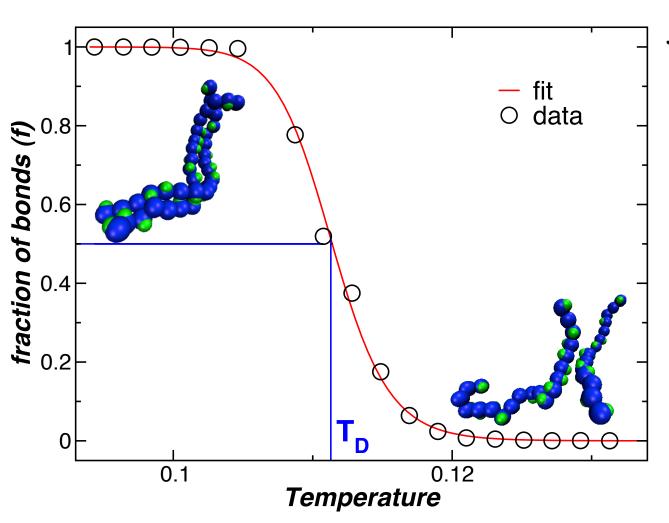




At low temperature, two complementary strands self-assembly forming dsDNA



Fraction of bonds (f) as a function of the temperature



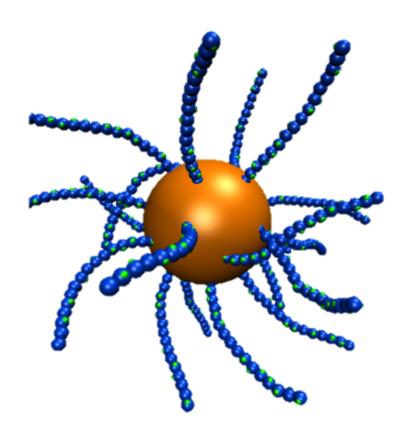
$$f = 1 - \frac{1}{1 + e^{\frac{\Delta H - T\Delta S}{T}}}$$

The transition temperature  $T_D$ , is the temperature at which half of the bonds that hold the dsDNA permanent intact.





## **Nanoparticle Core Model**

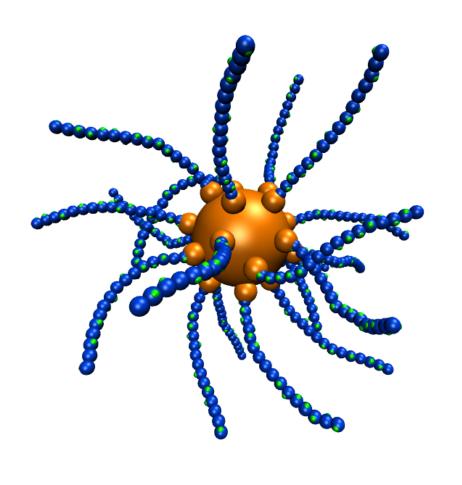


Nanoparticle with:

✓ Spherical Symmetry



## **Nanoparticle Core Model**



Nanoparticle with:

- √ Spherical Symmetry
- ✓ Regular Solid Icosahedron Dodecahedron Icosidodecahedron

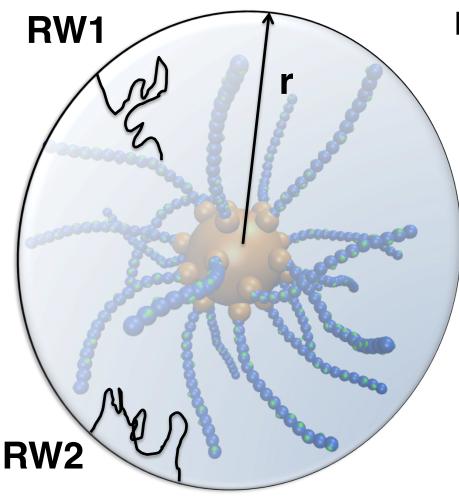






#### A Monte Carlo numerical path integrator

(Integrates Laplace's equation with Dirichlet's b.c)



Probabilistic definition of R<sub>H</sub>

$$\mathbf{R}_{\mathsf{H}} = \lim_{|r| \to \infty} (|r| \boldsymbol{P_r})$$

Douglas & Zhou & Hubbard, Phys. Rev. E, 49,5319,(1994)

Computes: friction coefficient, hydrodynamic radius, radius of gyration, capacity, polarizabilty tensor, intrinsic conductivity, intrinsic viscosity...of arbitrarily shaped objects





## 3. Key Algorithms

## **Key Algorithms**

#### ssDNA Model

- ✓ Molecular Dynamic Simulations (NVT)
- ✓ Velocity-Verlet method to integrate Newton's Equation
- ✓ Periodic Boundary Conditions
- ✓ Neighbour List
- ✓ Nose-Hoover thermostat
- ✓ MPI parallel computing

#### **ZENO**

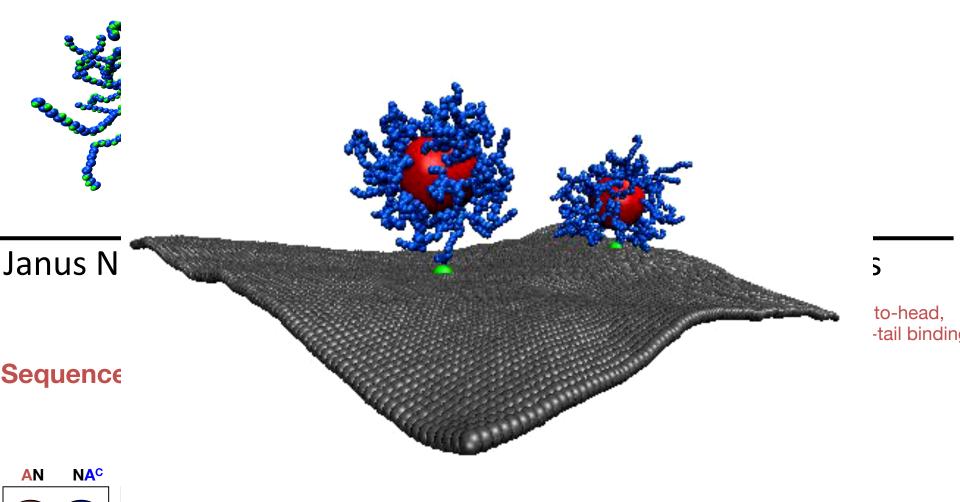
✓ Monte Carlo



## 4. Research Contribution

### Some

#### stals



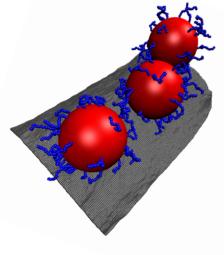






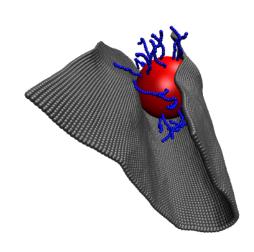
## More applications of the model

#### **Soft Tacos**

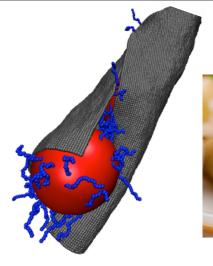




#### **Hard Tacos**







#### **Burritos**



